



# PHASES

## The Palomar High-precision Astrometric Search for Exoplanet Systems A Search for Planets in Binary Star Systems

Matthew W. Muterspaugh<sup>1</sup>

Benjamin F. Lane<sup>1</sup>

B. F. Burke<sup>1</sup>

Maciej Konacki<sup>2</sup>

S. R. Kulkarni<sup>3</sup>

M. M. Colavita<sup>4</sup>

M. Shao<sup>4</sup>

<sup>1</sup>Kavli Institute for Astrophysics and Space Research, MIT

<sup>2</sup>Division of Geological & Planetary Sciences, Caltech

<sup>3</sup>Division of Physics, Mathematics, and Astronomy, Caltech

<sup>4</sup>Jet Propulsion Laboratory

<http://stuff.mit.edu/~matthew1/thesis/thesis.html>





## Planets In Binary Star Systems

57% of star systems are multiple

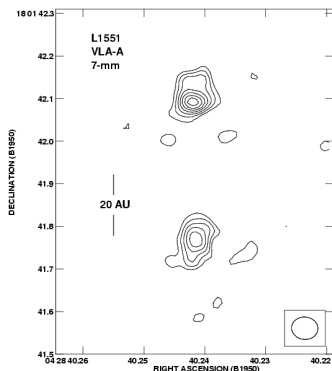


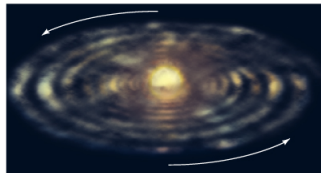
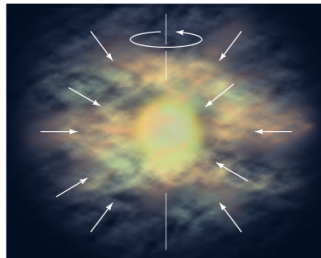
Image from Rodriguez et al., 1998

Close binaries complicate non-astrometric planet detection methods:

- ▶ Radial Velocity: Spectral “contamination”.
- ▶ Stellar companions confuse photometric measurements.
- ▶ Light from stellar companions cannot be canceled by nulling and coronagraphy, frustrating direct detection.



# Planet Formation



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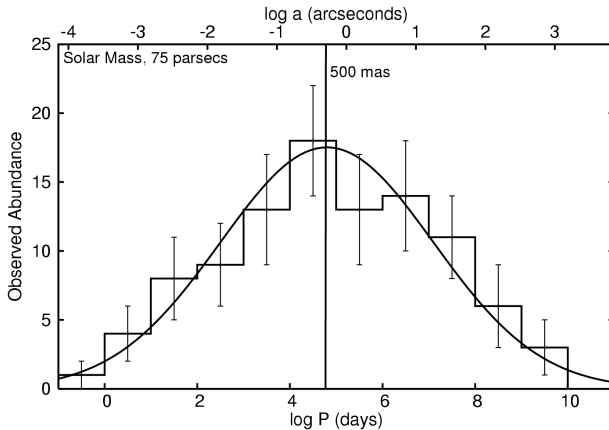


## Reference Fields

- ▶ Wide-angle (Global) Astrometry
  - ▶ Absolute Positions of Stars on Sky
  - ▶ Limited by Atmosphere or Size of Satellite
  - ▶ Precisions  $\approx$  few mas
  - ▶ 2012: SIM, precisions  $4 \mu\text{as}$
- ▶ Narrow-Angle Astrometry
  - ▶ Separations  $\approx$  10-30 arcsec
  - ▶ Target and Reference may be physically related.  
Unimportant for few-year timescale phenomena.
  - ▶ Precisions  $\approx$  20-100  $\mu\text{as}$ .
- ▶ Sub-Arcsecond Astrometry
  - ▶ Target and Reference physically related  
Orbital motion can be significant.
  - ▶ Precision measured relative to separation.



# Binary Distribution



(Measurements from Duquennoy & Mayor 1991)

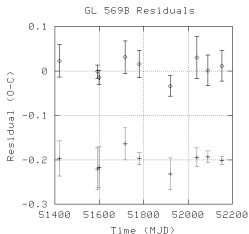
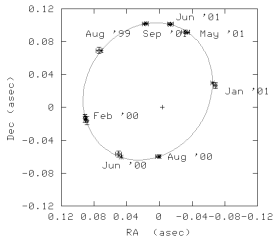


## Required Precisions

- ▶ Stellar Astrophysics
  - ▶ Stellar Masses, Orbital Characteristics: 1% astrometry places constraints on current models.
  - ▶ Astrophysical Distance Scales: 1%.
- ▶ Detection of Additional Companions and Extrasolar Planets
  - ▶ Dynamically stable orbits at  $\approx 20\%$  of binary separation.  
Relative effect on star:  $\frac{M_J}{M_\odot} = 10^{-3}$
  - ▶  $1M_J$  planet at critical orbit requires fractional precision  $\approx 10^{-4}$ .



# Single-Dish Astrometry



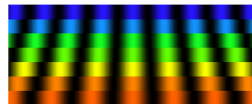
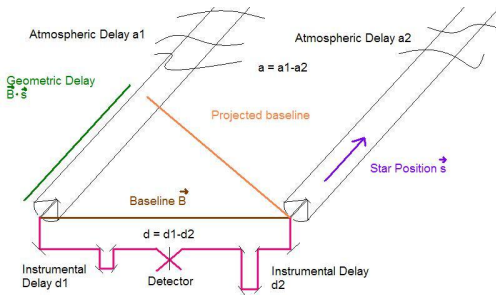
- ▶ Adaptive Optics, Speckle Interferometry
- ▶ System separation  $\approx 100$  mas.
- ▶ Astrometric Precision:  $\approx 1$  mas
- ▶ Precision limitations:
  - ▶ Atmosphere (Only negligible at small separations)
  - ▶ Pixel scale
  - ▶ Telescope size: Precision  $\propto$  Diameter.

(Lane et al., 2001.)



## Basic Interferometer

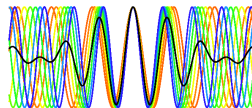
## Basic Interferometer



(a)



(b)



(c)

$$d = \vec{B} \cdot \vec{S} + \delta_a(\vec{S}, t) + c$$

Image from Principles of Long  
Baseline Stellar Interferometry

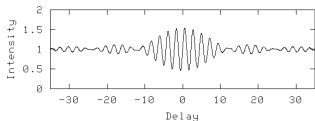
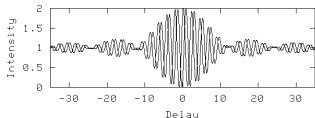






## Astrometry With Visibility Amplitudes

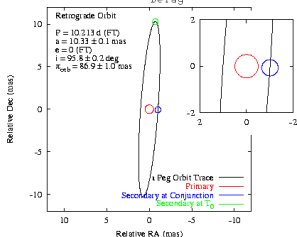
# Astrometry With Visibility Amplitudes



Fringe Amplitude determines separation.

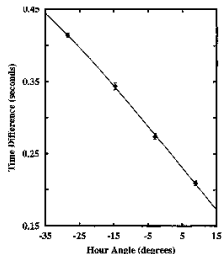
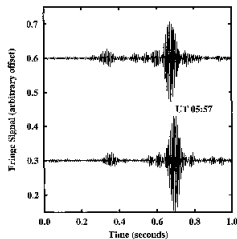
- ▶  $\iota$  Peg: Parallax 1%, Axis 1%, Masses 1%.
- ▶ Precision:  $\sigma_{V2} \approx 1\%$ .  
Integrated-optics:  $\sigma_{V2} \approx 0.1\%$ .
- ▶ Limited field-of-view.
- ▶ Errors dominated by data calibration:
  - ▶ Visibility amplitudes are positive-biased data products.
  - ▶ Degeneracy between separation and starlight average wavelength.

(Boden et al., 1998.)





## Over-Resolved Systems

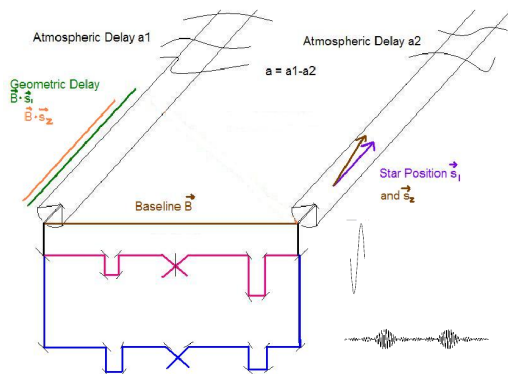


Measure each packet position separately.

- ▶  $\zeta$  Her: Fractional precision  $3 \times 10^{-3}$ .
- ▶ Atmosphere coherent on 10 ms timescale
- ▶ Observation of each star differs in time by 300 ms.  
Decoherence limits precision.  
Faster scanning limits sensitivity.
- ▶ Analysis traced “envelopes”, discarded fringe phases. May bias results.

(Dyck, Benson, and Schloerb, 1995.)

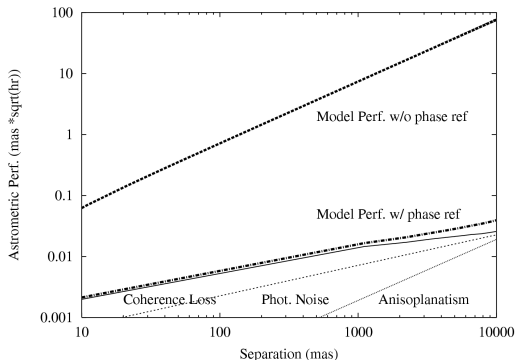
# Phase-Referencing



- ▶ Fast tracking (10ms) determines  $a(t)$ .
- ▶ Second detector stabilized, slowly scans the two stars.

# Differential Astrometry: Theoretical Precision

$$\delta D = \delta \vec{s} \cdot \vec{B} - \delta d - \delta a$$



- ▶ Baseline  $\vec{B}$  measured by wide-angle astrometry.
- ▶ Internal delay  $d$  measured by laser interferometer.
- ▶  $\delta a(t, \vec{s})$  nonzero due to two terms:
  1. Anisoplanatism:  $\delta \vec{s} > 30$  arcsec.
  2. Coherence Loss: Temporal turbulence variations.



# The Palomar Testbed Interferometer (PTI)



A.K.A. The Palomar 4,322 inch Telescope



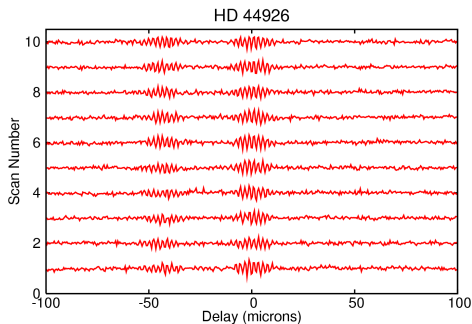
# The Palomar Testbed Interferometer (PTI)



National Geographic 2004 “Pictures of the Year”



# PHASES Data and Reduction



Fringe ambiguities in the presence of noise:

- ▶ Fringe fitting: highly oscillatory PDF—processor intensive.
- ▶ Incoherent averaging to determine correct local maxima.
- ▶ Incoherent averaging requires sub-wavelength stability.



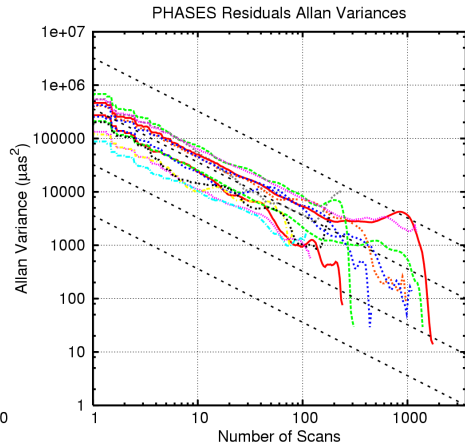
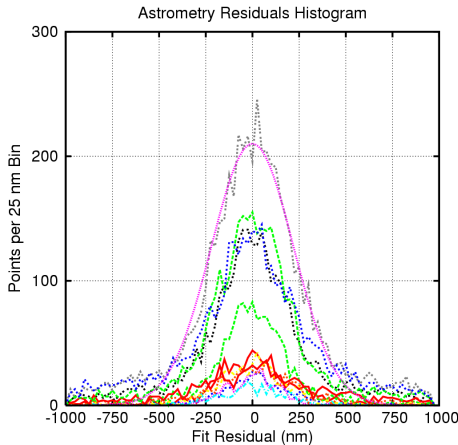
## Useful Tools

- ▶ NOVAS/NOVAS-C: Naval Observatory Vector Astrometry Subroutines  
Kaplan and Bangert
- ▶ MPI/MPICH: Multiprocessing interface with simple inter-process communications.



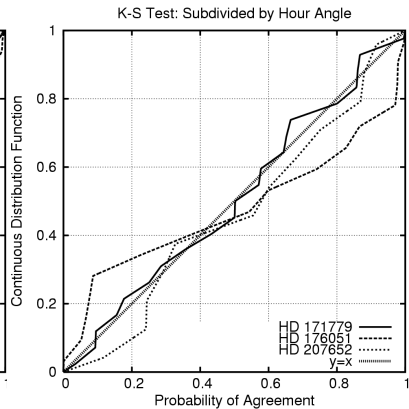
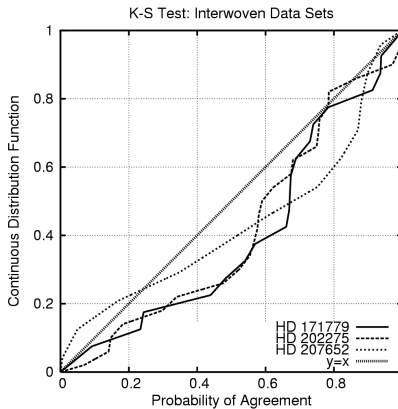


# Differential Delay Residuals





# Intranight Repeatability





Observed Precision

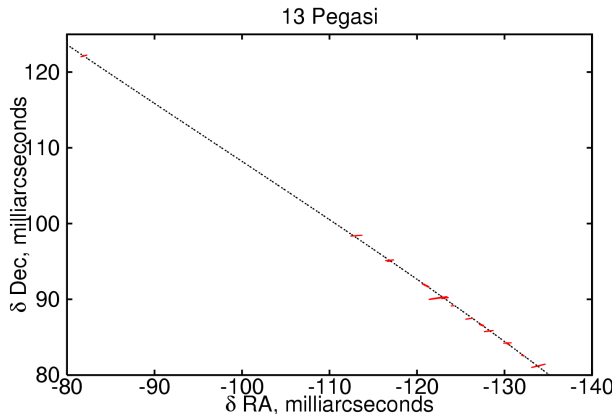
# 13 Pegasi

F2IV

33 pc, P=29y

- ▶ Median minor axis error:  $13.1 \mu\text{as}$
- ▶ Average relative precision:  

$$\frac{13}{160000} = 8 \times 10^{-5}$$
- ▶ Slope consistent with speckle orbit.





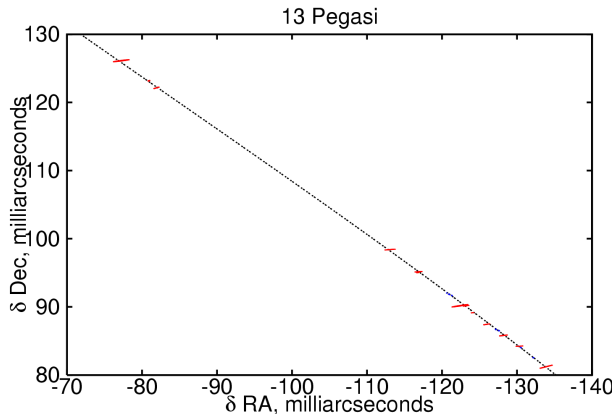
Observed Precision

## 13 Pegasi

F2IV

33 pc, P=29y

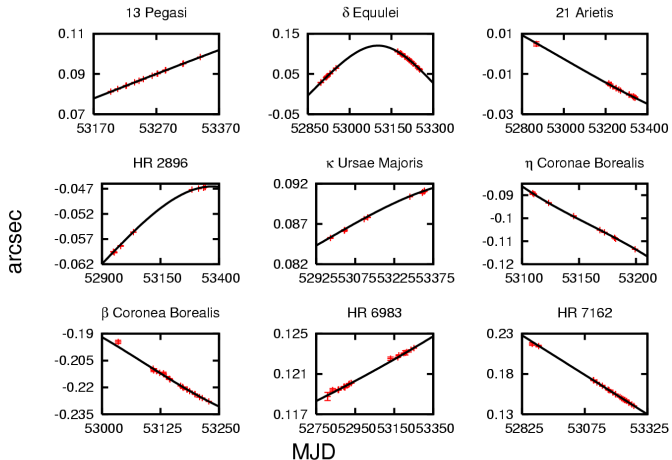
- ▶ Median minor axis error:  $16.4 \mu\text{as}$
- ▶ Average relative precision:  $\frac{16}{160000} = 10^{-4}$
- ▶ Slope consistent with speckle orbit.





Observed Precision

# Sample Results





## $\delta$ Equulei

F7V+F7V

$P = 5.7058 \pm 0.0003$  years

$d = 18.39 \pm 0.05$  parsecs

$V = 4.99$ ,  $K = 3.27$

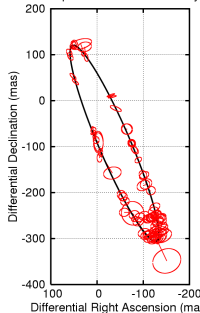
Each  $1.19 \pm 0.01 M_{\odot}$

Age  $2.2 \pm 0.6$  Gy

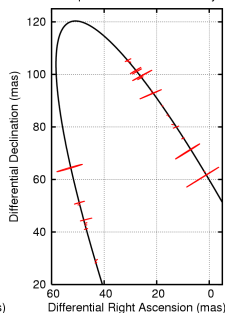
$M_p \geq 11.5 \left(\frac{P}{\text{month}}\right)^{-\frac{2}{3}}$  Jupiter Masses

astro-ph/0507585

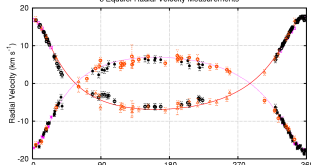
$\delta$  Equulei Previous Astrometry



$\delta$  Equulei PHASES Astrometry



$\delta$  Equulei Radial Velocity Measurements





## $\kappa$ Pegasi

A: F5 IV,  $1.54 M_{\odot}$

Ba: F5 IV,  $1.67 M_{\odot}$

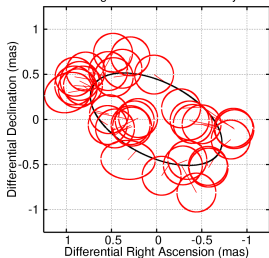
Bb:  $0.82 M_{\odot}$

A-B Period: 11.6 years

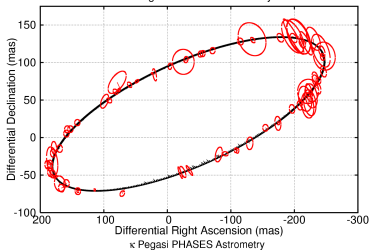
Ba-Bb Period: 5.97 days

Mutual Inclination: 43.8 degrees

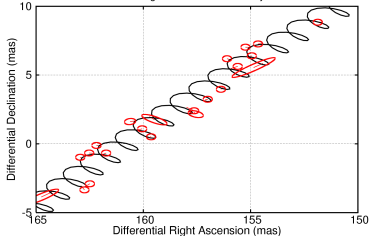
$\kappa$  Pegasi PHASES Astrometry



$\kappa$  Pegasi Previous Astrometry



$\kappa$  Pegasi PHASES Astrometry





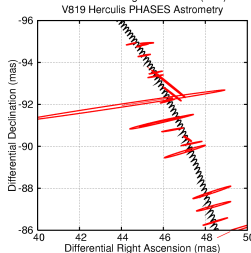
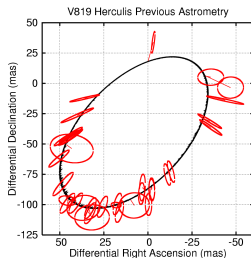
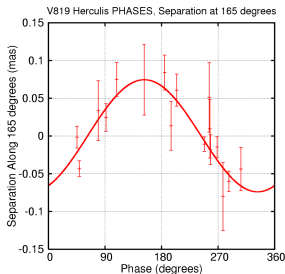
## V819 Herculis

A-B Period: 5.5 years

Ba-Bb Period: 2.23 days

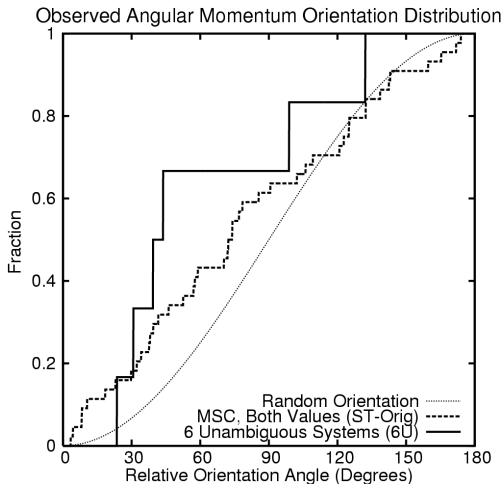
Ba-Bb shows eclipses

Mutual Inclination: 23.6 degrees





# Mutual Inclinations





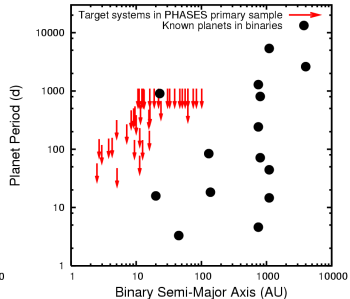
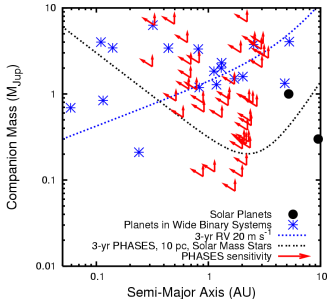
## Future Work

$\approx 50$  systems observable with *current* setup.

- ▶ Within view of PTI (dec  $\approx +10$  to  $+50$ )
- ▶  $K < 4.5$
- ▶ Astrometry for  $\Delta K < 1.5$ . Direct detections at  $\Delta K < 5$
- ▶ Separation less than 1 arcsecond
- ▶ Average  $M_{\text{pl,min}} = 0.7M_{\text{J}}$ . ( $3\sigma = 30\mu\text{as}$ )
- ▶ 36 systems:  $M_{\text{pl,min}} < 1M_{\text{J}}$
- ▶ 17 systems: Maximum stable  $P_{\text{pl}} < 2\text{y}$ .



## Conclusions



- ▶ Astrometry of sub-arcsecond binaries demonstrated at precisions  $< 10^{-4}$ .
- ▶ Astrometry detects faint companions to binary systems.
- ▶ A survey of sub-arcsecond binaries will search for planets around stars inaccessible to other methods.

# Two Weeks Ago....

## An extrasolar giant planet in a close triple-star system

Maciej Konacki<sup>1</sup>

Hot Jupiters are gas-giant planets orbiting with periods of 3–9 days around Sun-like stars. They are believed to form in a disk of gas and condensed matter at or beyond  $\sim 2.7$  astronomical units (AU—the Sun–Earth distance) from their parent star<sup>1,2</sup>. At such distances, there exists a sufficient amount of solid material to produce a core capable of capturing enough gas to form a giant planet. Subsequently, they migrate inward to their present close

of planet formation in binary stellar systems is an impetus not only because the frequency of binaries among field stars is  $\sim 60\%$  (ref. 14) and is even higher among sequence stars<sup>15</sup>. If we believe that the same basic processes of formation of planets around single stars and companion

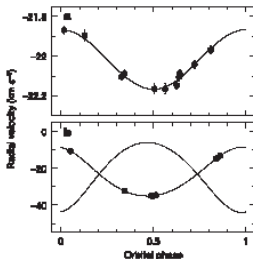
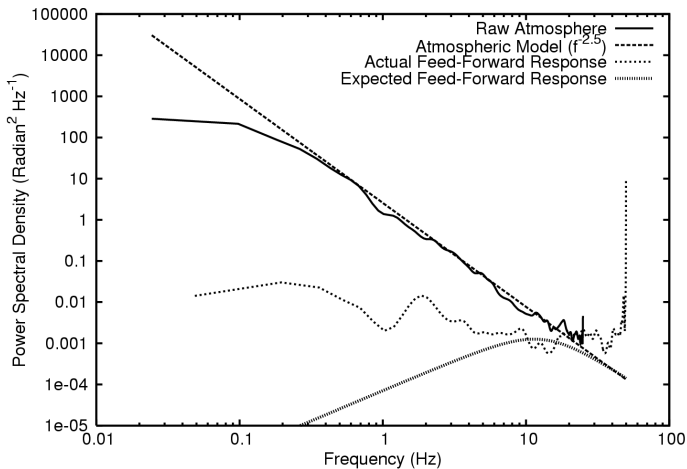
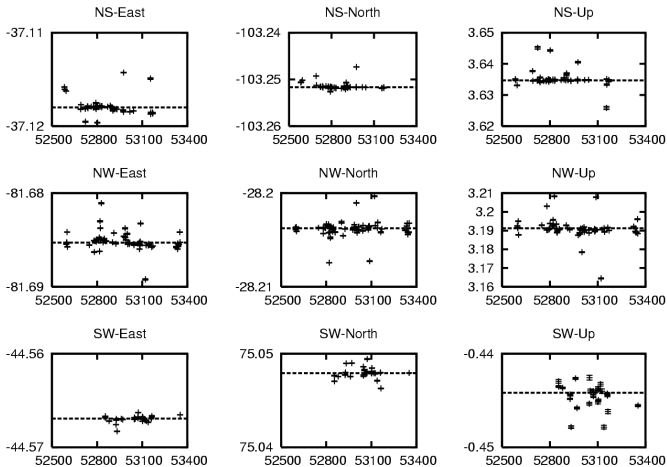


Figure 2 | Radial velocities as functions of orbital phase. Radial velocity (RV) of the primary (a) and the secondary (b) and their  $1\sigma$  errors as a function of the orbital phase. The best-fit models are depicted with the solid

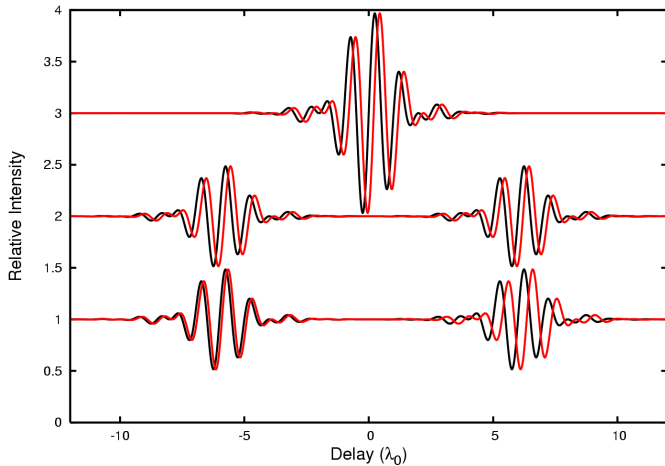
# Phase Noise



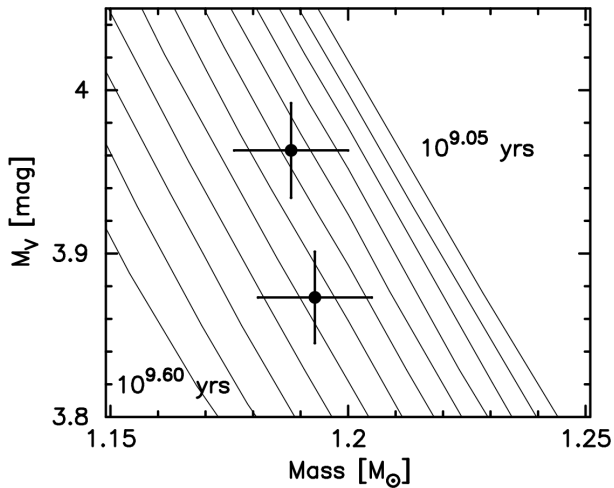
# Baseline Stability



## Differential Dispersion

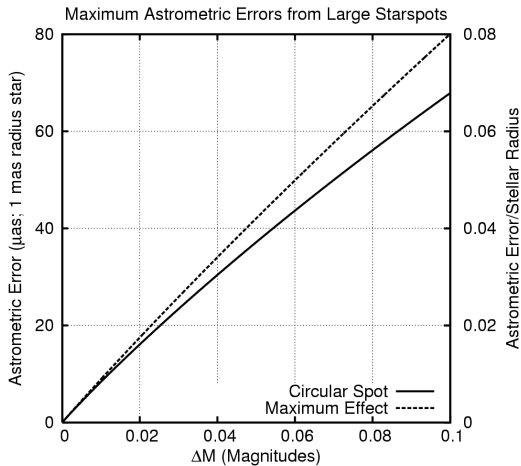


## $\delta$ Equulei Isochrones

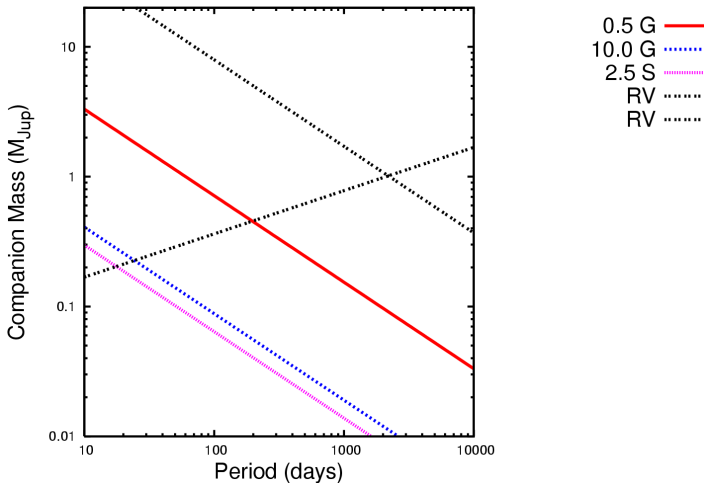




# Starspots



# Circumbinary Planet Detection Sensitivity



# Circumbinary Planet Microlensing Lightcurves

